

Measurement of Stark widths in single ionized oxygen

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Abstract. Stark widths of 32 OII spectral lines have been measured, for the first time in 16 cases to the authors' knowledge. A pulsed arc was used as a plasma source. The electron density, determined both interferometrically and spectroscopically, covers the range $(2.5-7.5)10^{22} \text{ m}^{-3}$. The electron temperature, determined from Boltzmann-plots, covers the range of 25000 – 47000 K. Possible dependencies of Stark width on the temperature have been checked. The measured widths are compared both with theoretical and experimental data available in the literature.

Key words: atomic data — line: profile — methods: laboratory

1. Introduction

The Stark widths which are measured in accessible and well-known light sources, besides to improve the knowledge about spectral line broadening phenomena, allow to diagnose remote light sources of great interest to astrophysics.

Oxygen plays an important role in astrophysical, technical and laboratory plasmas; nevertheless the amount of available experimental information on the Stark broadening for the species OII continues to be rather scarce. On the other hand, the different theoretical and semiempirical approaches show some discrepancies and need to be compared with experimental measurements.

This work furnishes experimental Stark widths of 32 different OII spectral lines, in the range 400 – 470 nm, belonging to $3s-3p$, $3s'-3p'$, $3p-3d$, $3p'-3d'$, $3p'''-3d'''$ and $3d-4f$ transition arrays. For 16 of these lines no previous measured data have been found in the literature. The

Stark widths have been measured in relatively large ranges of electron temperature and density. Standard diagnostic techniques, carefully checked, have been used to get these plasma parameters. Double and independent methods have been applied for each parameter, Starting with one wavelength interferometry using the 457.9 nm and also 514.0 nm transitions of an argon ion laser and H_α Stark broadening to determine electron density. Second, the intensities of 14 OII selected lines, and also 13 NeII lines emitted by the same plasma, help determine the electron temperature by means of different Boltzmann-plots. The measured profiles have been corrected for Doppler and instrumental broadening. Self-absorption has been proved to be completely negligible.

In the ranges of electron density and temperature of this work the measured Stark widths verify a good linear dependence on plasma electron density. After taking into account the experimental uncertainties, this work results are in good agreement with previous measures like those of Platiša et al. (1975); Djenize et al. (1991, 1998) and with theoretical works by Griem (1974); Hey & Breger (1980) and Dimitrijević (1982). The data dispersion and discrepancies around 20% between the different works do not allow establish a clear dependence on temperature.

2. Experimental set-up and measurements

All measurements have been made in a pulsed discharge lamp. The experimental set-up (shown in Fig. 1) and the methods have already been described in Gigoso et al. (1994) and Aparicio et al. (1998), so that we will only explain details specific to the present experiment.

The plasmas were created by discharging a capacitor bank of 20 μF charged up to 9.5 kV, over a cylindrical Pyrex glass lamp (175 mm in length and 19 mm in interior diameter). During the whole experiment this lamp was working with a continuous flow of neon gas at a rate of 1 cm^3/min , and a pressure of 5 mbar, where very small traces of oxygen (actually residual traces) were diluted. In these conditions, self-absorption in OII spectral emission

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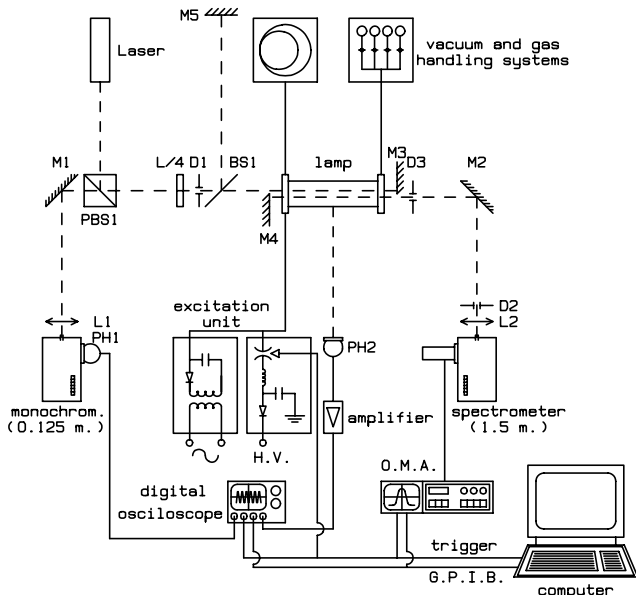


Fig. 1. Experimental set-up

is guaranteed to be completely negligible. The spectral emission lasted for $150 \mu\text{s}$. The gas was pre-ionised in order to have the best discharge reliability. Spectroscopic and interferometric end-on measurements were made simultaneously throughout the plasma life and were taken both 2 mm off the lamp axis, and from symmetrical positions in relation from the axis. The spatially homogenous plasma and the high cylindrical symmetry of electron density and temperature in our lamp allows this configuration (del Val et al. 1998).

According to Fig. 1, the lamp is placed in one of the arms of a Twyman-Green interferometer illuminated with an argon ion laser (457.9 and 514.0 nm). The spectroscopic beam is directed to a Jobin-Yvon spectrometer (1.5 m focal length, 1200 lines/mm holographic grating) equipped with an optical multichannel analyser (OMA). The OMA detector array has 512 channels (EG&G 1455R-512-HQ). The dispersions in its first, second and third orders of diffraction at 434.0 nm are 13.08, 5.67 and 2.66 pm/channel respectively. The spectrometer was very carefully calibrated wavelength, as well as intensity (Aparicio et al. 1998; del Val 1997). The OMA was pulsed for $5 \mu\text{s}$ in order to have an acceptable signal-to-noise ratio, a sufficient temporal resolution and to be able to follow the temporal plasma evolution. Mirror M4, placed behind the plasma column, was used to measure the optical depth and to detect possible self-absorption effects on each line profile. This can be performed by comparing the spectra taken with and without the light reflected by this mirror (González et al. 1989). In the experimental plasma conditions, self-absorption was found to be completely negligible.

The experiment consists of end-on measurements of the OII spectra emitted by the plasma in the spectral re-

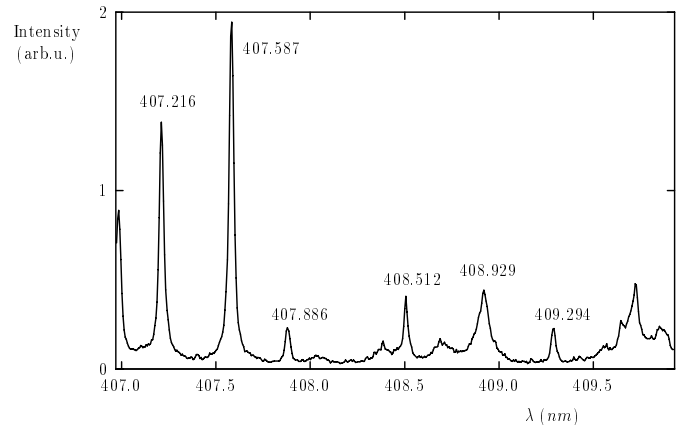


Fig. 2. OMA recorded spectra showing 6 of the OII lines studied in this work. The spectra, registered in second order of diffraction of the spectrometer, correspond to the plasmalife instant $50 \mu\text{s}$

gion 400 – 470 nm. Each spectral interval was recorded at 13 different instants of the plasma lifetime. For each instant at least three runs were made. An example of a spectrum recorded with 6 OII measured lines at the instant $50 \mu\text{s}$ of the plasma life is shown in Fig. 2. Also, due to the presence of hydrogen impurities in the neon plasma, it was possible to measure the H_{α} profiles where Stark broadening allowed us to make a spectroscopic determination of the electron density. The OII profile measurements were registered in second order of diffraction of the spectrometer, the most efficient one for the needed spectral resolution.

3. Calculations and plasma diagnostics

All the spectra were fitted to sums of Lorentzian functions plus a luminous background with a linear dependence, as explained in Gigoso et al. (1994). Differences between the experimental spectra and the fits were usually lower than 1%. These fitting algorithms allow simultaneous determination of the center, asymmetry, linewidth and area of each profile. While dependent on the chosen line, asymmetries remain below 5%, which suggests that the ionic contribution to the Stark broadening of OII lines in these plasma conditions is not relevant.

Every fitted spectral line was treated as a Voigt profile. From the whole experimental width w_{exp} the Lorentzian or Stark component w_S (FWHM) was extracted by using a deconvolution procedure which can be expressed in the following polynomial form:

$$w_S/w_{\text{exp}} = 1 + 0.0029296x - 1.102602x^2 + 0.0701624x^3 + 0.0296077x^4 \quad (1)$$

where $x = w_G/w_{\text{exp}}$ is the ratio between the Gaussian component and the whole experimental width. This Gaussian component w_G has been calculated from

Doppler broadening w_D and instrumental width w_i as $w_G = (w_D^2 + w_i^2)^{1/2}$. In this experiment the instrumental profile has a gaussian shape for which FWHM is fundamentally determined by the entrance slit width of the spectrometer, and the measured value results in $w_i = 2.6$ OMA channels. For the Doppler width w_D calculation the emitters kinetic temperature was assumed to be close to the OII and NeII excitation temperatures. Taking into account the low gas pressure and the high degree ionisation reached in this experiment, which can be estimated according to Saha law (even greater than 50%) another broadening mechanisms like neutral pressure or natural width result completely negligible.

Finally, H_α profiles were processed according to the same procedure.

The electron density N_e was determined interferometrically and spectroscopically. In the experiment 156 interferometric registers (1 ms long) were made, the half corresponding to 457.9 nm and the rest to the 514.0 nm transition of an argon ion laser. Although these are the most separated available transitions of the laser, in this case, the small difference in wavelength between them does not actually allow double-wavelength interferometry. The differences between the electron density curves obtained from 457.9 nm one-wavelength interferometry and those corresponding to 514.0 nm are always lower than 4% (Fig. 3); hence, we take the mean value of the two curves in all cases.

From each one of the interferograms taken during the experiment, phase evolution was extracted (Aparicio et al. 1998; de la Rosa et al. 1990) by assuming that the plasma column fills the lamp and that refractivity changes are mostly due to free electrons. Both hypotheses have been proved in many works made in this laboratory in recent years (Gigosos et al. 1994; Aparicio et al. 1998; del Val et al. 1997; del Val 1997; de la Rosa et al. 1990). Electron density was also calculated from the hydrogen Balmer-alpha Stark width (Fig. 3). This has been calibrated as a function of electron density and temperature in a simulation (Gigosos et al. 1996). In Fig. 3 interferometric and spectroscopic results are compared. As shown in this figure very good agreement between both methods is observed, which seems to confirm the negligible contribution of the bound electrons to refractivity changes and that the effective length of the plasma column is the same as the lamp length. We conclude that 10% is a good estimation of the electron density uncertainty.

Considering pressure broadening theories and taking into account the electron density and temperature ranges, the OII line profiles are primarily determined by electron impact broadening, so Stark widths are closely related to free electron density and kinetic electron temperature. Moreover, in collision-dominated plasmas like the one generated in this experiment, it is a common hypothesis that excitation temperature and kinetic electron temperature take similar values (Van der Mullen 1990). In this work

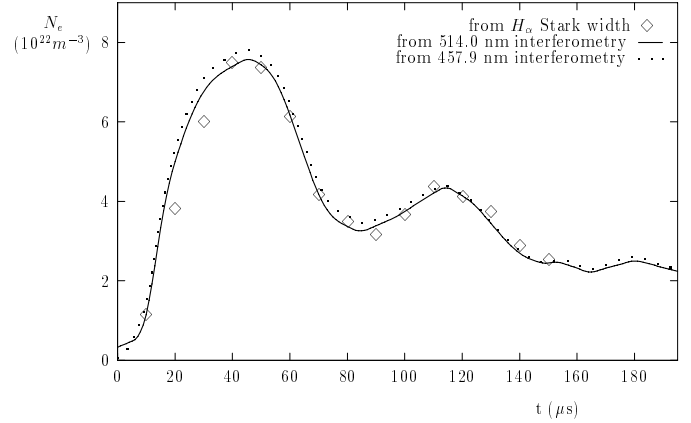


Fig. 3. Electron density evolution measured from interferometry and from H_α -Stark broadening

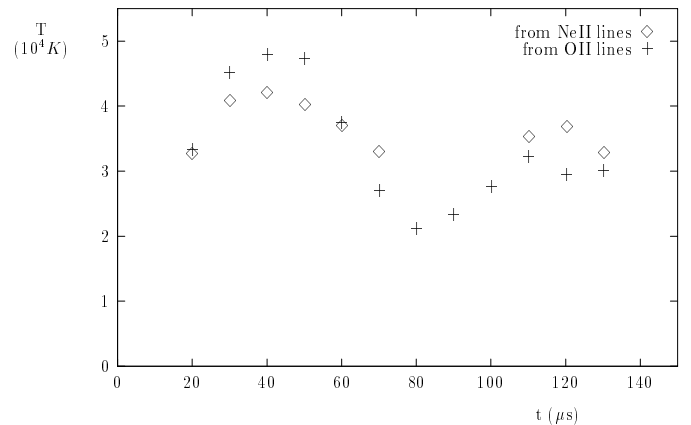


Fig. 4. Electron temperature evolution measured from the Boltzmann-plots of NeII and OII lines

for each instant of the plasma lifetime we determined OII excitation temperature from the slope of a Boltzmann-plot calculated with the intensities of a select set of 14 OII lines, whose transition probabilities can be taken from the literature. The same procedure has been followed with 13 selected NeII lines, so that NeII excitation temperature was also determined. Both temperatures are in good agreement, as it is shown in Fig. 4, although the greater one (OII) was taken as electronic temperature, with an estimated uncertainty around 15%.

Due to the narrow features of the OII lines measured in this work we must discuss the influence of the kinetic emitters temperature in the final Stark widths. Although beyond the scope of this work to demonstrate this point, probably a two-temperature (2-T) model for these collision-dominated plasmas could be considered, as already was pointed out by Van der Mullen (1990). If kinetic emitters temperature were lower than kinetic electron temperature, then the Stark width results would increase. Simple calculations prove that, for ion kinetic temperatures of 40000 K or 20000 K, the resulting Stark widths at $N_e = 10^{23} \text{ m}^{-3}$ can differ even up to 30% for

Table 1. Different FWHM values (in pm) for the 407.216 nm OII line emitted at the instant $t = 40 \mu\text{s}$. To show the influence of the value taken as emitter kinetic temperature in deconvolution procedure, temperatures of $T = 42000 \text{ K}$ and $T = 20000 \text{ K}$ are considered. At this instant $N_e = 7.45 \cdot 10^{22} \text{ m}^{-3}$. w_D = Doppler width, w_i = instrumental width, w_G = Gaussian component, w_S = Lorentzian Stark width

$T(\text{K})$	w_{exp}	w_D	w_i	w_G	w_S
42000	30.15	13.30	15.11	20.13	16.20
20000	30.15	9.18	15.11	17.68	19.31

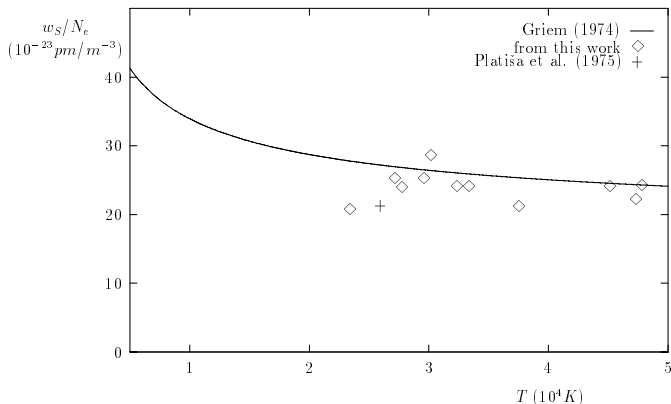


Fig. 5. Example of FWHM Stark widths to N_e ratios versus temperature for the OII line 407.216 nm

the narrowest OII lines. This will be reflected in the uncertainties assigned to these lines. Table 1 shows an example of the full calculations made to obtain the Stark widths w_S from the experimental linewidth w_{exp} (following the deconvolution procedure already described in Eq. (1)), for the line 407.216 nm at the plasma life instant $40 \mu\text{s}$. Data obtained considering 42000 K and 20000 K as kinetic emitter temperature are compared. As a whole, the best agreement between our OII w_S data and the literature is achieved when considering the kinetic emitters temperature very similar to NeII or OII excitation temperatures.

4. Results and conclusions

In order to check possible dependencies of Stark widths on temperature we have plotted the ratios w_S/N_e versus temperature T for each one of the lines. Figure 5 shows an example of these plots for the 407.216 nm OII line. The available data in the literature are also included. Although in some cases the widths seem to show very slight tendency to decrease with increasing temperature, the scarcity of available data and the inherent uncertainties in the measurements make it difficult to establish any functional relationship, at least in the temperature range considered in this experiment. This behavior is common for every measured line.

In Table 2 the Stark FWHM value w_m is listed for $N_e = 10^{23} \text{ m}^{-3}$ obtained from the mean of the ratios

w_S/N_e . The electron temperature is assumed to be around 40000 K. The 32 measured OII lines, with their lower and upper transition levels assuming LS-coupling (Striganov & Sventistskii 1968), are arranged by transition arrays and multiplets according to upper level increasing energy. The number of data and mean is shown for each line, with the corresponding standard statistical error σ . For comparison, Table 2 shows other experimental available data Platiša et al. (1975); Djeniže et al. (1991, 1998). The accuracy of these data is specified for each case in the Table 2 caption and takes values around 15% according to the authors. The similar accuracy of the present work takes advantage of a much more extensive set of data and lines. In this way, more reliable uncertainties for each line can be derived from the resulting statistical dispersions. All data have been normalised to $N_e = 10^{23} \text{ m}^{-3}$, assuming a linear dependence with N_e and dividing by this value. When available, the ratio of the measured values to theoretical values w_m/w is shown, i.e. semi-classical and semi-empirical approaches calculated in Griem (1974); Hey & Bryan (1977); Hey & Breger (1980); Dimitrijević (1982) and also results of Purić et al. (1988). These are always for $N_e = 10^{23} \text{ m}^{-3}$ and taking, if possible, $T = 40000 \text{ K}$.

Our experimental results are usually in good agreement within the same transition arrays and multiplets, as can be seen in Table 2. Also there is good agreement with the theoretical data of Griem and with the measurements of Platiša et al. or Djeniže et al. within 20% uncertainty ranges. Very reliable Stark data and good experimental profiles of OII emission lines are noticeably difficult to obtain. Also the different plasma experimental conditions, mainly the different temperature ranges, could explain some discrepancies like those corresponding to the 408.929 nm line. Agreement with Griem, Dimitrijević and Hey & Breger is good. The work of Hey & Bryan perhaps slightly underestimates the widths, while the formulae given in the work of Purić et al. (1988) clearly tend to underestimate the widths when applied to $3s - 3p$ and $3p - 3d$ transitions of OII specie. Purić et al. (1988) calculated their formula within a semiempirical approach and studied width dependencies on upper level ionization potential working with results of species with different ionization stages, from OII to OV, but mainly OIII.

Taking into account an electron density uncertainty of 10% we can estimate the average final uncertainty of the Stark widths given in this work around 20%, although with a strong dependence on the line. Perhaps the main error source for the narrowest transitions (often the most intense) is the unknown kinetic emitter temperature in deconvolution procedure. For some other transitions the error comes from weakness of plasma emission. In spite of the few reliable data which can be obtained for most of the difficult lines, particular uncertainties can be inferred from statistical dispersions. Future high accuracy measurements should extend and complete the lack of OII Stark experimental data.

Table 2. Experimental Stark widths (FWHM) w_m in pm of OII spectral lines and the ratios to different theoretical values w_m/w . All the values are normalised to $N_e = 10^{23} \text{ m}^{-3}$. For each line we specify the number of measurements n taken in this work. [1] Platiša et al. (1975), measures in a pulsed arc, $N_e = 0.52 \cdot 10^{23} \text{ m}^{-3}$, $T_e = 25900 \text{ K}$, acc. 16%. [2] Djeniže et al. (1991), measures in a pulsed arc, $N_e = 0.81 \cdot 10^{23} \text{ m}^{-3}$, $T_e = 60000 \text{ K}$, acc. 13%. [3] Djeniže et al. (1998), measures in a pulsed arc, $N_e = 2.8 \cdot 10^{23} \text{ m}^{-3}$, $T_e = 54000 \text{ K}$, acc. 15%. [4] Griem (1974), theoretical treatment, $N_e = 10^{23} \text{ m}^{-3}$, $T_e = 40000 \text{ K}$. [5] Hey & Bryan (1977), based on Griem semiempirical formulae, $N_e = 10^{23} \text{ m}^{-3}$, $T_e = 25900 \text{ K}$. [6] Hey & Breger (1980), theoretical treatment, method I, $N_e = 10^{23} \text{ m}^{-3}$, $T_e = 25900 \text{ K}$. [7] Dimitrijević (1982), semiclassical approximation, $N_e = 10^{23} \text{ m}^{-3}$. Interpolated to $T_e = 40000 \text{ K}$. [8] Purić et al. (1988), calculated dependences on the upper-level ionization potential, $N_e = 10^{23} \text{ m}^{-3}$, $T_e = 42500 \text{ K}$, acc. 30%

λ (nm)	Transit. array	Multiplet	n	w_m	σ (pm)	w_m [1]	w_m [2]	w_m [3]	w_m/w [4]	w_m/w [5]	w_m/w [6]	w_m/w [7]	w_m/w [8]
465.084	3s – 3p	$^4\text{P} - ^4\text{D}^\circ$	9	22.5	3.7	23.7			0.71			0.73	1.37
463.885	3s – 3p	$^4\text{P} - ^4\text{D}^\circ$	8	22.0	3.3			22.9	0.70			0.72	1.35
464.181	3s – 3p	$^4\text{P} - ^4\text{D}^\circ$	11	22.3	6.0			22.1	0.71			0.73	1.36
464.914	3s – 3p	$^4\text{P} - ^4\text{D}^\circ$	12	20.9	2.0	22.9			0.67	1.16	0.73	0.68	1.27
434.556	3s – 3p	$^4\text{P} - ^4\text{P}^\circ$	6	25.8	4.4				1.19			0.96	1.77
436.689	3s – 3p	$^4\text{P} - ^4\text{P}^\circ$	11	24.8	7.9	22.1			1.13			0.92	1.69
433.686	3s – 3p	$^4\text{P} - ^4\text{P}^\circ$	7	20.2	5.6				0.93			0.75	1.39
431.714	3s – 3p	$^4\text{P} - ^4\text{P}^\circ$	9	25.6	5.7	21.9			1.18	1.62	1.06	0.95	1.78
434.943	3s – 3p	$^4\text{P} - ^4\text{P}^\circ$	9	25.3	9.0				1.16			0.94	1.73
431.963	3s – 3p	$^4\text{P} - ^4\text{P}^\circ$	10	26.1	6.3				1.20			0.97	1.81
459.617	3s' – 3p'	$^2\text{D} - ^2\text{F}^\circ$	8	27.2	4.1	24.6		15-13.6*		1.49	0.97		
459.097	3s' – 3p'	$^2\text{D} - ^2\text{F}^\circ$	11	22.3	7.6	25.4							
435.127	3s' – 3p'	$^2\text{D} - ^2\text{D}^\circ$	9	22.5	7.1								
434.742	3s' – 3p'	$^2\text{D} - ^2\text{D}^\circ$	5	31.1	8.3	21.9				1.87	1.21		
408.512	3p – 3d	$^4\text{D}^\circ - ^4\text{F}$	6	25.2	7.6				0.98				2.15
407.886	3p – 3d	$^4\text{D}^\circ - ^4\text{F}$	9	20.0	4.0				0.78				1.71
409.294	3p – 3d	$^4\text{D}^\circ - ^4\text{F}$	5	21.3	2.3	23.5			0.83	0.96	0.71		1.81
407.216	3p – 3d	$^4\text{D}^\circ - ^4\text{F}$	11	23.9	2.0	22.7			0.92				2.04
407.587	3p – 3d	$^4\text{D}^\circ - ^4\text{F}$	10	19.7	3.3	23.5			0.76				1.68
415.330	3p – 3d	$^4\text{P}^\circ - ^4\text{P}$	7	29.3	4.9	25.6			1.13	1.19	0.93		2.38
415.654	3p – 3d	$^4\text{P}^\circ - ^4\text{P}$	6	32.9	9.8				1.26				2.67
413.281	3p – 3d	$^4\text{P}^\circ - ^4\text{P}$	9	29.9	8.3	25.4			1.15				2.45
412.148	3p – 3d	$^4\text{P}^\circ - ^4\text{P}$	6	24.2	8.6				0.94				2.00
411.079	3p – 3d	$^4\text{P}^\circ - ^4\text{D}$	7	21.9	5.4				0.81				1.81
411.922	3p – 3d	$^4\text{P}^\circ - ^4\text{D}$	8	24.8	6.8				0.90				2.05
411.203	3p – 3d	$^4\text{P}^\circ - ^2\text{F}$	5	34.3	8.0								2.83
444.821	3p' – 3d'	$^2\text{F}^\circ - ^2\text{F}$	10	34.3	9.0								
432.748	3p' – 3d'	$^2\text{D}^\circ - ^2\text{D}$	6	38.2	5.1								
430.382	3d – 4f	$^4\text{P} - ^4\text{D}^\circ$	6	118.6	23.5		95.6						
408.929	3d – 4f	$^4\text{F} - ^4\text{G}^\circ$	9	100.9	18.6		66.4						
447.788	3d – 4f	$^2\text{P} - ^4\text{G}^\circ$	6	127.0	20.1								
414.609	3p''' – 3d'''	$^6\text{P} - ^6\text{D}^\circ$	7	43.2	10.0								

* Djeniže et al. (1998) take the 459.617 nm OII line as a doublet (459.600 and 459.617 nm). We found no evidence of this, neither in Striganov & Sventitskii tables (1968) nor in the DASNIST data base (1990).

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